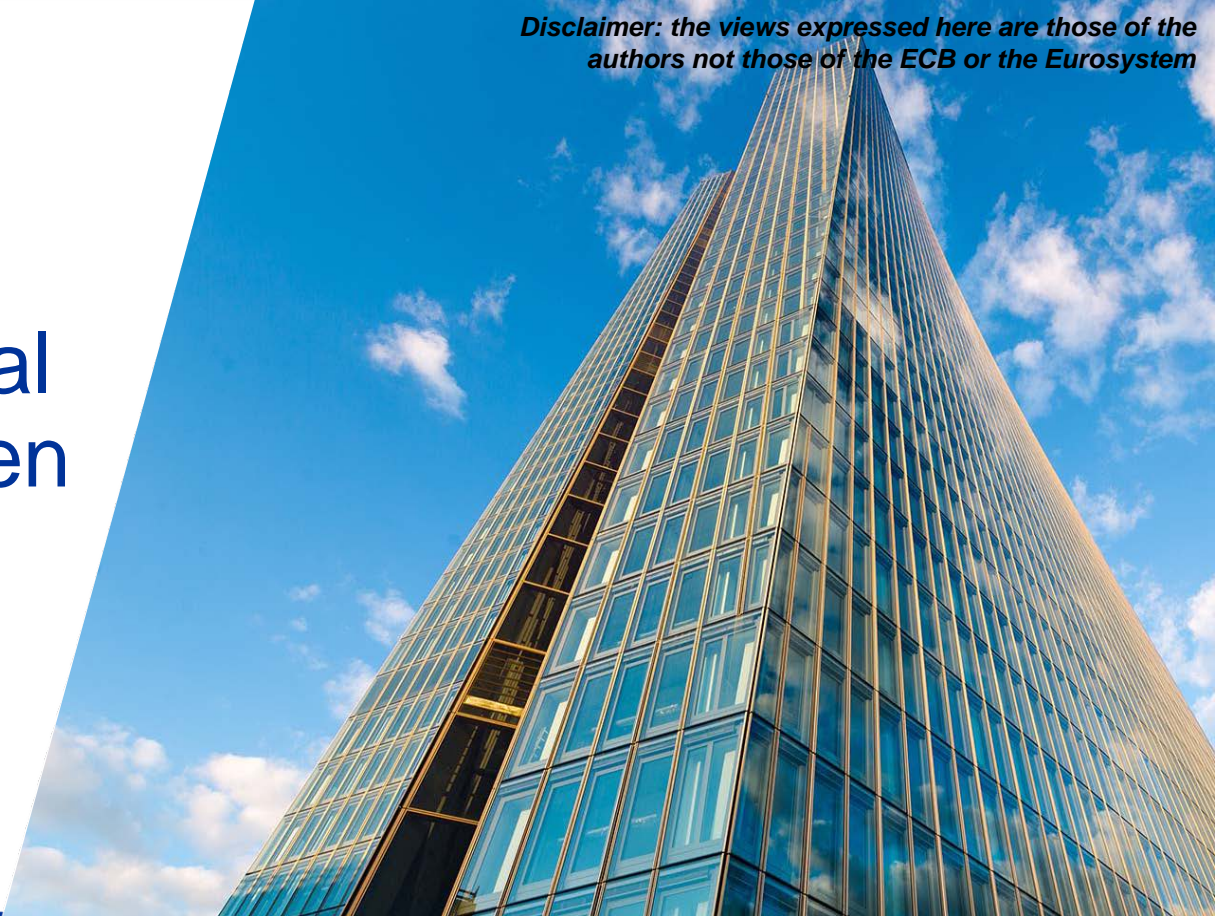




EUROPEAN CENTRAL BANK

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# Central bank digital currency in an open economy

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Chief Economists' Workshop  
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\*ECB

#ECB and CEPR

# Key issues

- Private accounts at central banks before World War II, but only accessible to domestic agents
- In an open economy, a CDBC is both a means of payment (for international transaction) and a safe international asset
  - What are the implications for the international transmission of shocks?
  - Do design options matter?
  - Does monetary policy need to adapt?
  - [Not in this talk: individuals at the center of capital flows, is it different?]

# A model of central bank digital currencies

2-country macro model, with frictions, multiple international assets, trade in goods, imperfect risk-sharing. The home country emits a CBDC.

## Characteristics of different payment instruments in the model

	Scalability	Liquidity	Safety	Remuneration	International use
Cash (M2)		✓	✓		
Bonds	✓			✓	✓
Deposits	✓			✓	✓
CBDC	✓	✓	✓	✓	✓

# Key mechanism: a new UIP relation

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**Interest rate differential, but  
 $r_t^{H,cbdc}$  might be constant**

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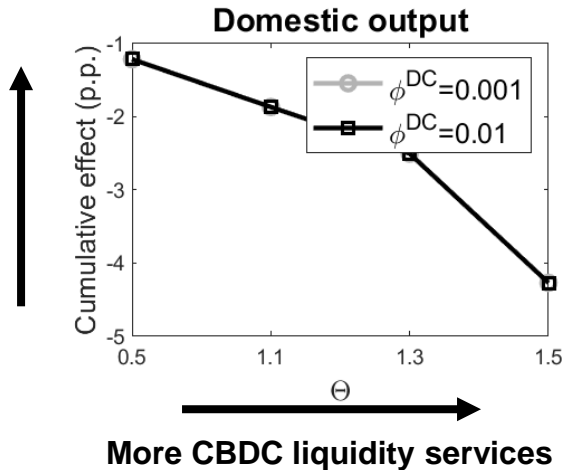
$$r_t^F - r_t^{H,cbdc} \approx E_t[neer_t - neer_{t+1}] + l_t^{cbdc}$$

 for the same expected appreciation, stronger effects on  $r_t^F$  and  $neer_t$  because of the liquidity premium ( $l_t^{cbdc}$ ) and constant remuneration ( $r_t^{H,cbdc}$ )

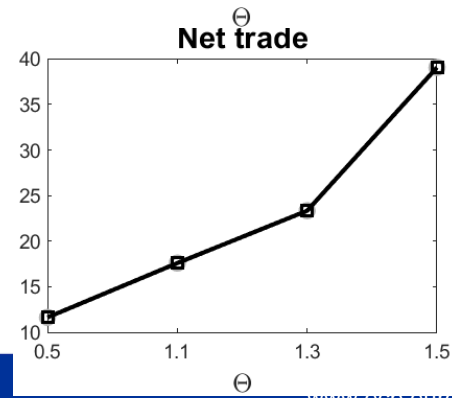
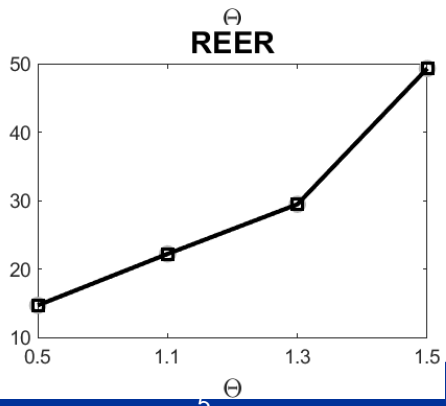
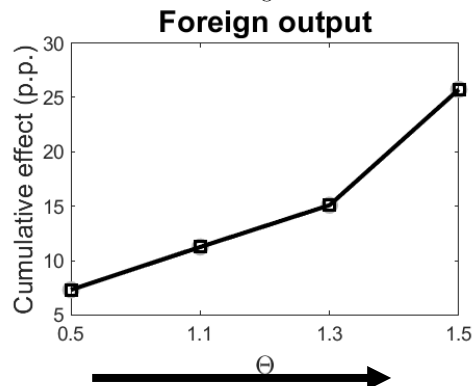
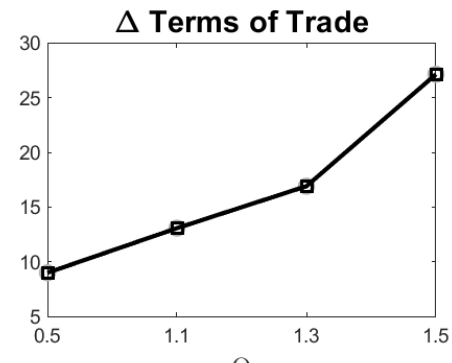
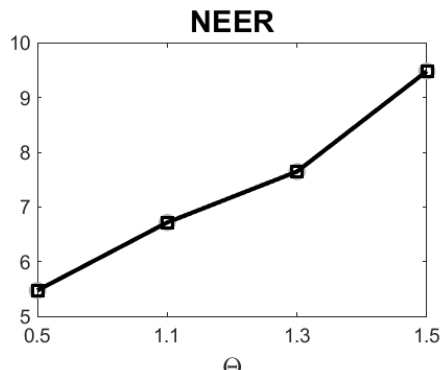
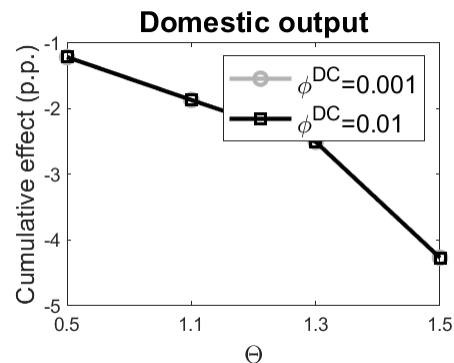


# Effects on the transmission of shocks: non remunerated CBDC

Stronger effect  
from CBDC  
emission



# Effects on the transmission of shocks: non remunerated CBDC

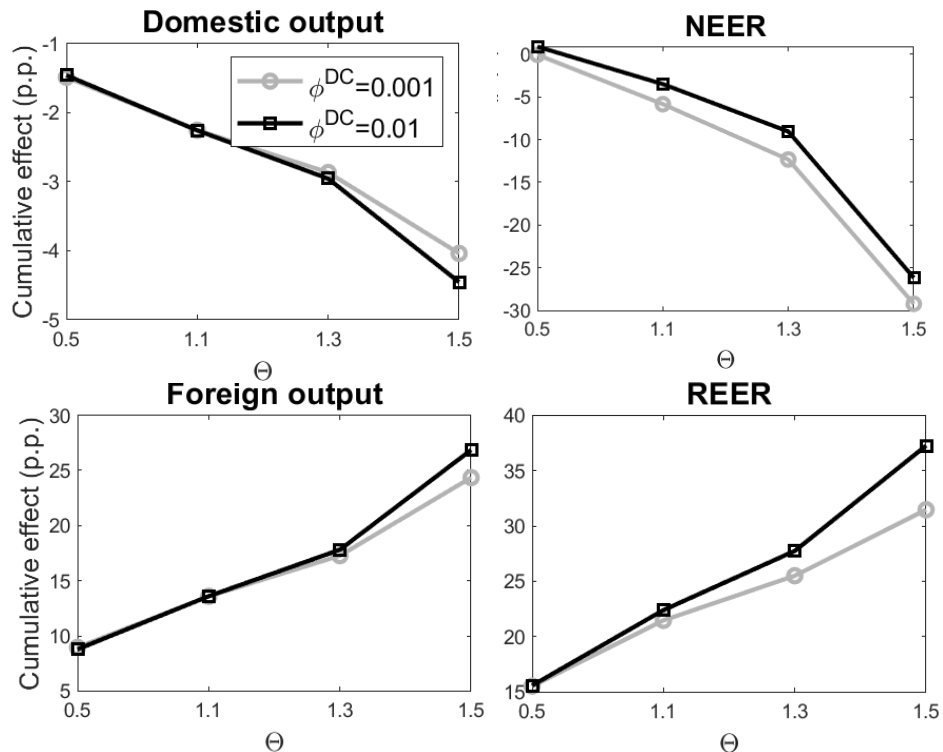


↑  
Stronger effect from CBDC emission

→  
More CBDC liquidity services

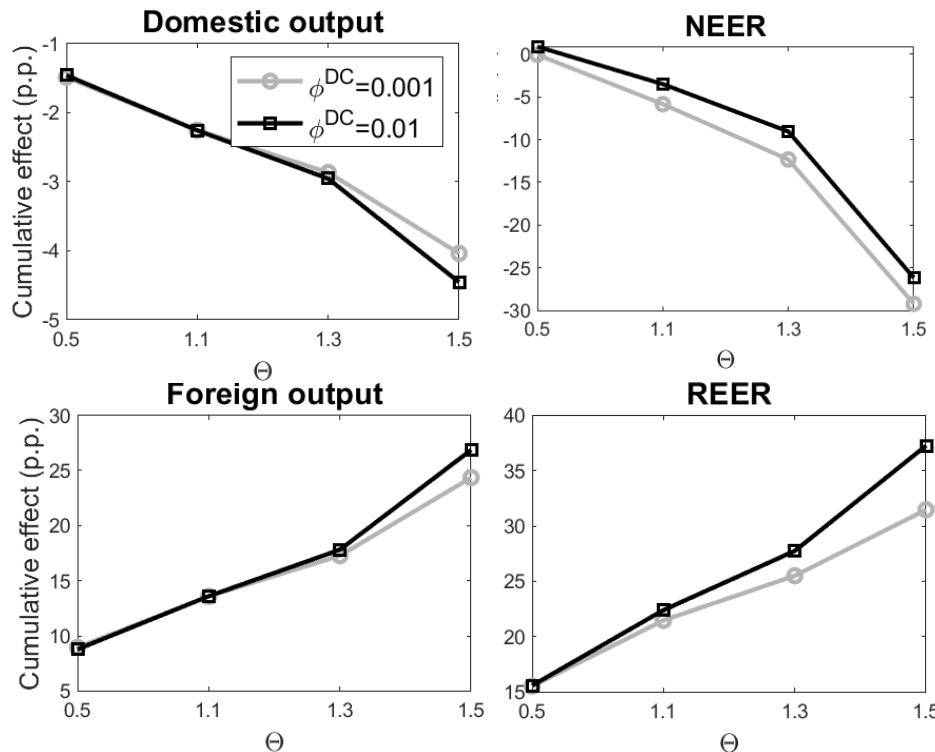
# Design options matter

## Fixed supply

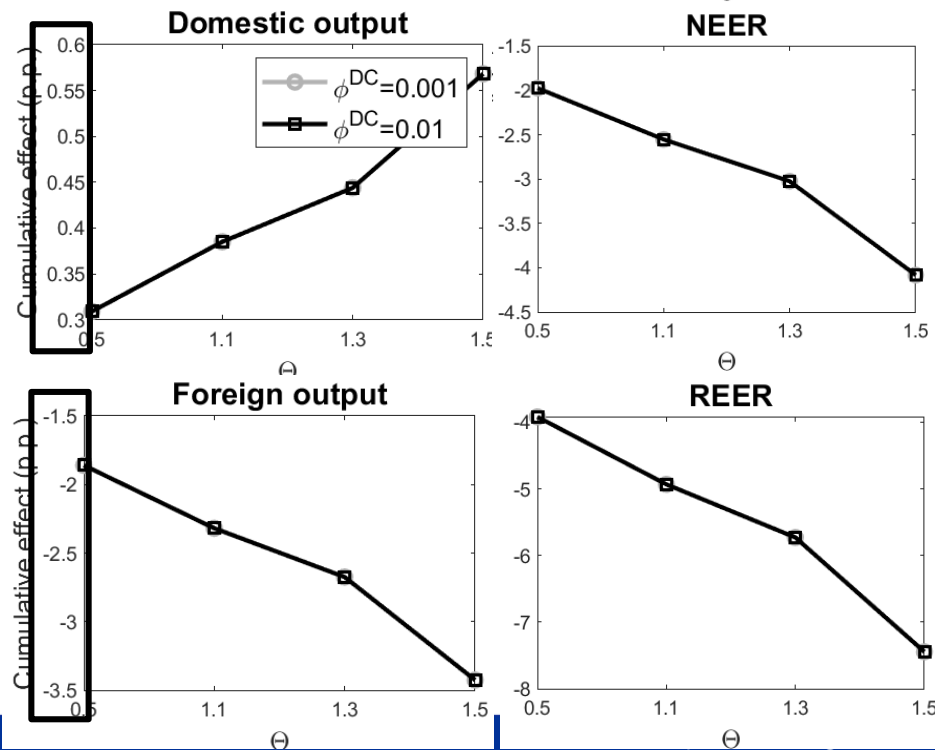


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## Fixed supply

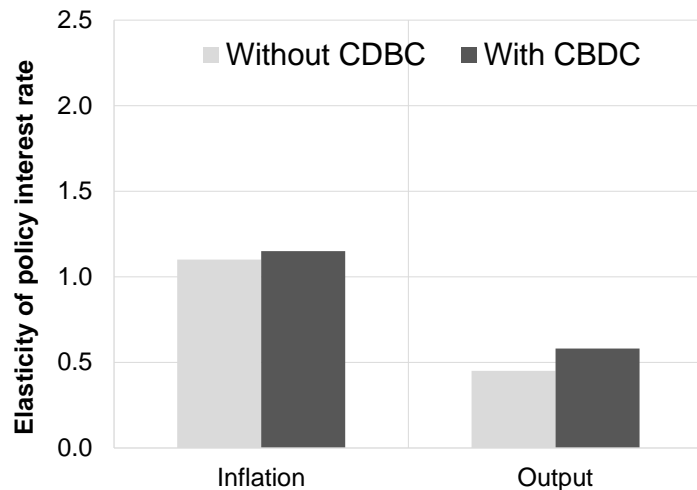


## Flexible remuneration

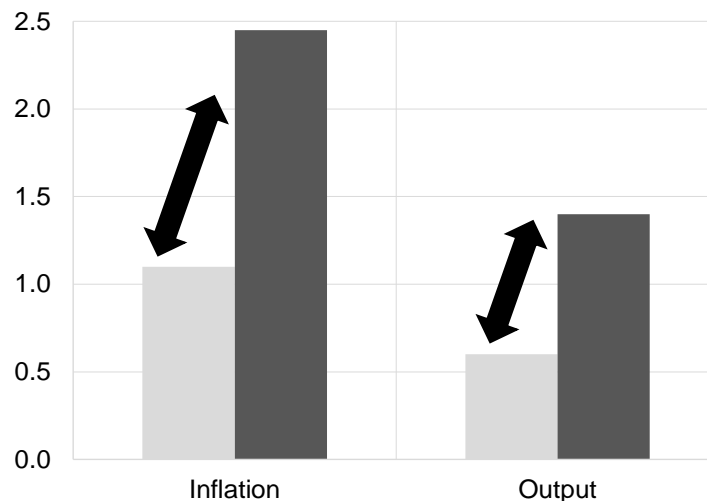


# Implications for monetary policy

## Domestic economy (CBDC issuer)



## Foreign economy (not issuing CBDC)



**Notes:** model-based optimal response to output and inflation of the central bank Taylor rule in the presence and absence of CBDC under a fixed-remuneration design. The key parameters optimized are interest rate persistence, the elasticity with respect to inflation and the elasticity with respect to output. Welfare is computed as the stochastic mean of the sum of current and future utility flows of households at the second order.

# Conclusions

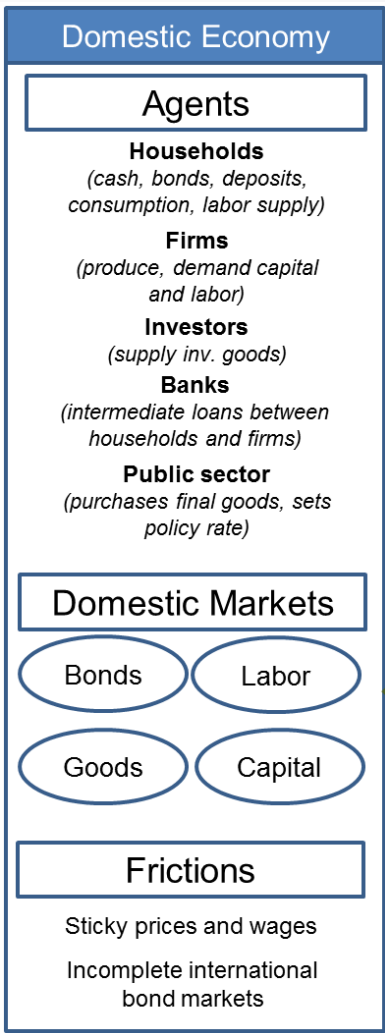
- CBDC amplifies international spillovers of shocks
- Technical design features matter
  - Capital controls and flexible CBDC interest rate reduce spillovers
  - Quantitative restrictions less effective than price flexibility
- CBDC increases asymmetries in the international monetary system
- CBDC reduces monetary policy autonomy in foreign economy
  - Foreign central bank need to be twice more reactive to shocks
- Next steps: what about the international use of currencies?

# Background

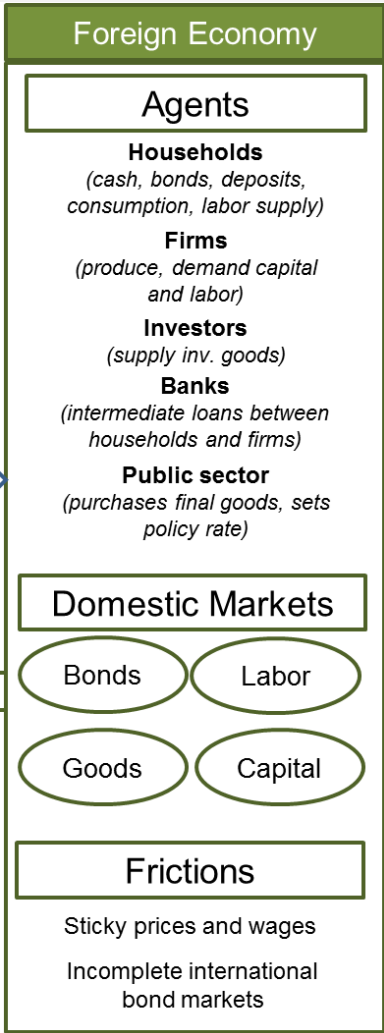
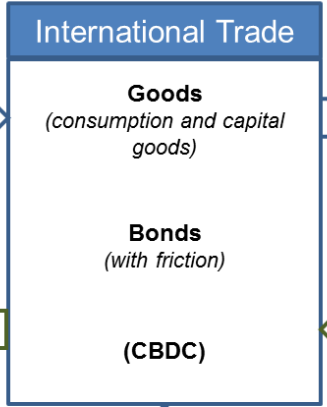
# Basic model

- 2-country DSGE model à la Eichenbaum, Johannsen and Rebelo (2017)
- Households
  - Unit mass, consume, save (bonds), supply labor and invest (risky loans)
  - Utility depends on consumption, labor supply and cash (Feenstra 1986)
  - Incomplete access to domestic and foreign bond markets (UIP fails)
- Firms
  - Produce final goods sold domestically and abroad
  - Monopolistic competition, sticky Calvo-prices and wages
  - Demand loans to invest
- Financial sector
  - Issues loans to firms
  - Financed through household deposits
  - Returns on loans are risky ( $\neq$  CBDC)





- Model statistics**
- ✓ 125 structural equations
  - ✓ 41 policy variables
  - ✓ 82 state variables, 2 auxiliary
  - ✓ 18 exogenous shocks
  - ✓ Solvable at higher orders only with parallel computing
  - ✓ Rest of the world as exogenous



# Modelling CBDC (domestic economy)

$$U_t(C_t, L_t, M_t, DC_t) \equiv \frac{(C_t - hC_{t-1})^{1-\sigma}}{1-\sigma} - \frac{\chi(L_t)^{1+\psi}}{1+\psi} + \frac{\mu^\$(M_t)^{1-\sigma^\$}}{1-\sigma^\$} + \frac{\mu^{DC}(DC_t)^{1-\sigma^{DC}}}{1-\sigma^{DC}}$$

$$\mu^{DC} = \mu^\$ \Theta; \quad \sigma^{DC} = \sigma^\$ + \sigma^\$(1 - \Theta) \quad \Theta = \begin{cases} = 0 & \text{no utility per se (like deposits)} \\ = 1 & \text{same utility as cash} \\ > 0, \neq \{0,1\} & \text{utility from hybrid instrument} \end{cases}$$

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$$\frac{\partial \mathcal{L}}{\partial DC_t} \equiv \frac{\mu^{DC}(DC_t)^{-\sigma^{DC}}}{\lambda_t} = 1 - E_t \left[ \beta \frac{\lambda_{t+1} r_t^{DC}}{\lambda_t \pi_{t+1}} \right] \quad (r_t^{DC} \text{ fixed or flexible})$$

# Modelling CBDC (foreign country)

Cost of accessing CBDC  
(e.g. capital controls)

$$\frac{\partial \mathcal{L}^*}{\partial DC_t^*} \equiv \underbrace{\mu^{DC,*} \left( DC_t^* / NER_t \right)^{-\sigma^{DC,*}}}_{\text{Utility from liquidity services (e.g. export/import payments)}} - \lambda_t^* \left[ 1 + \varphi^{DC} DC_t^* / NER_t \right] + E_t \left[ \underbrace{\beta^* \lambda_{t+1}^* \frac{r_t^{DC}}{\pi_{t+1}^*} \frac{NER_t}{NER_{t+1}}}_{\text{Remuneration adjusted for exchange rate risk and inflation}} \right] = 0$$

Utility from liquidity services  
(e.g. export/import payments)

Remuneration adjusted for exchange  
rate risk and inflation

# Key mechanism

Arbitrage condition between foreign bonds and CBDC (FX-adjusted) remuneration

$$R_t^* = \underbrace{R_t^{DC} \frac{NER_t}{E_t(NER_{t+1})}}_{\text{CBDC remuneration}} \left[ \underbrace{1 - \frac{1}{\lambda_t^*} \mu^{*,dc} \left( \frac{dc_t^*}{NER_t} \right)^{-\sigma^{*,dc}}}_{\text{CBDC liquidity mark-up}} \right]^{-1}$$

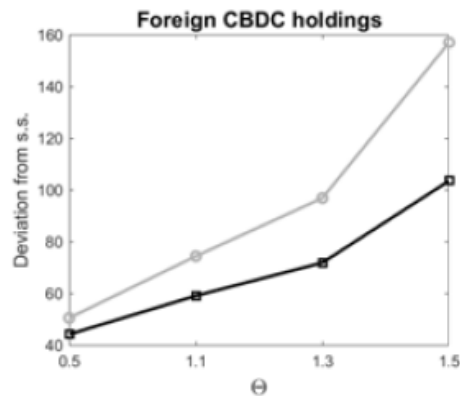
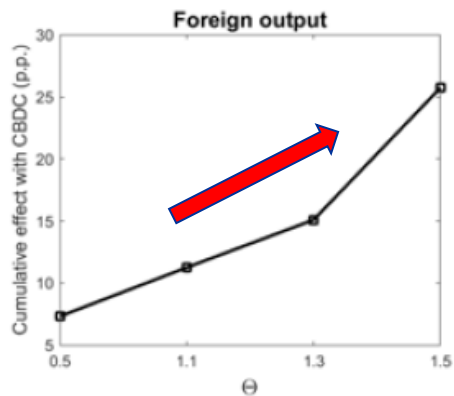
≠ Arbitrage condition between foreign and domestic bonds

$$R_t^* \approx R_t \frac{NER_t}{E_t(NER_{t+1})}$$

No role for storage costs, risk

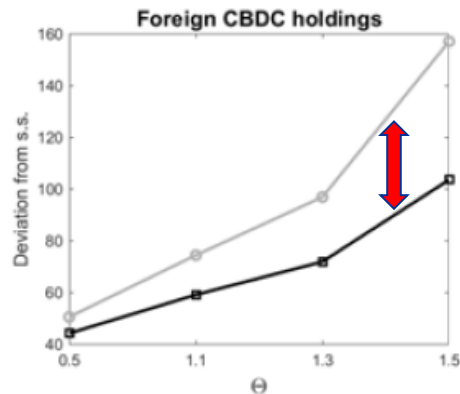
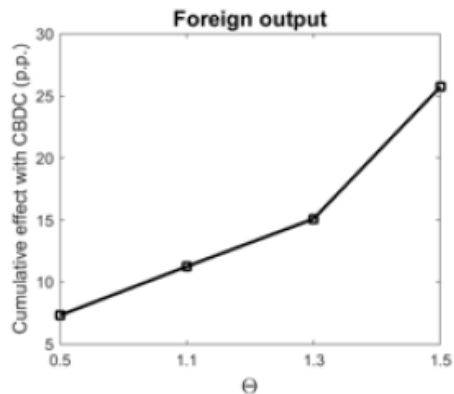
# Liquidity, capital controls and storage costs

Higher CBDC liquidity mark-up  $\Theta$   
Tighter capital controls (black line)



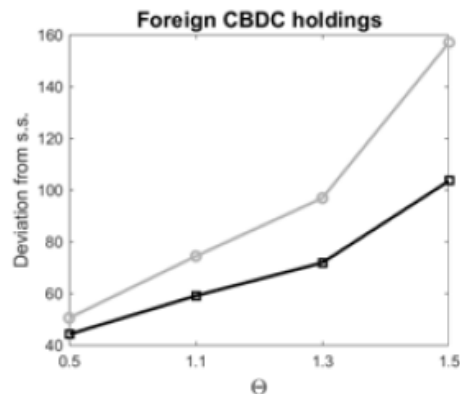
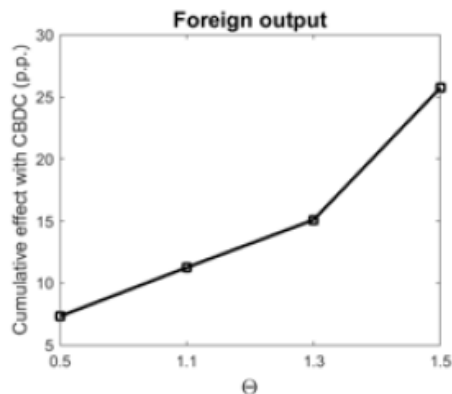
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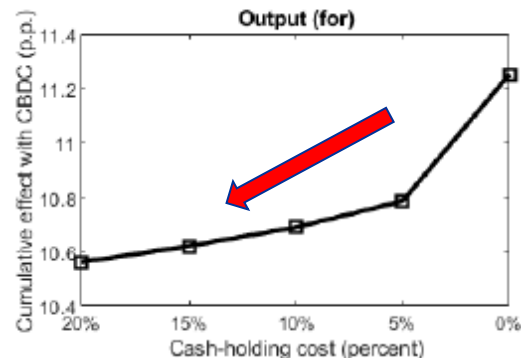


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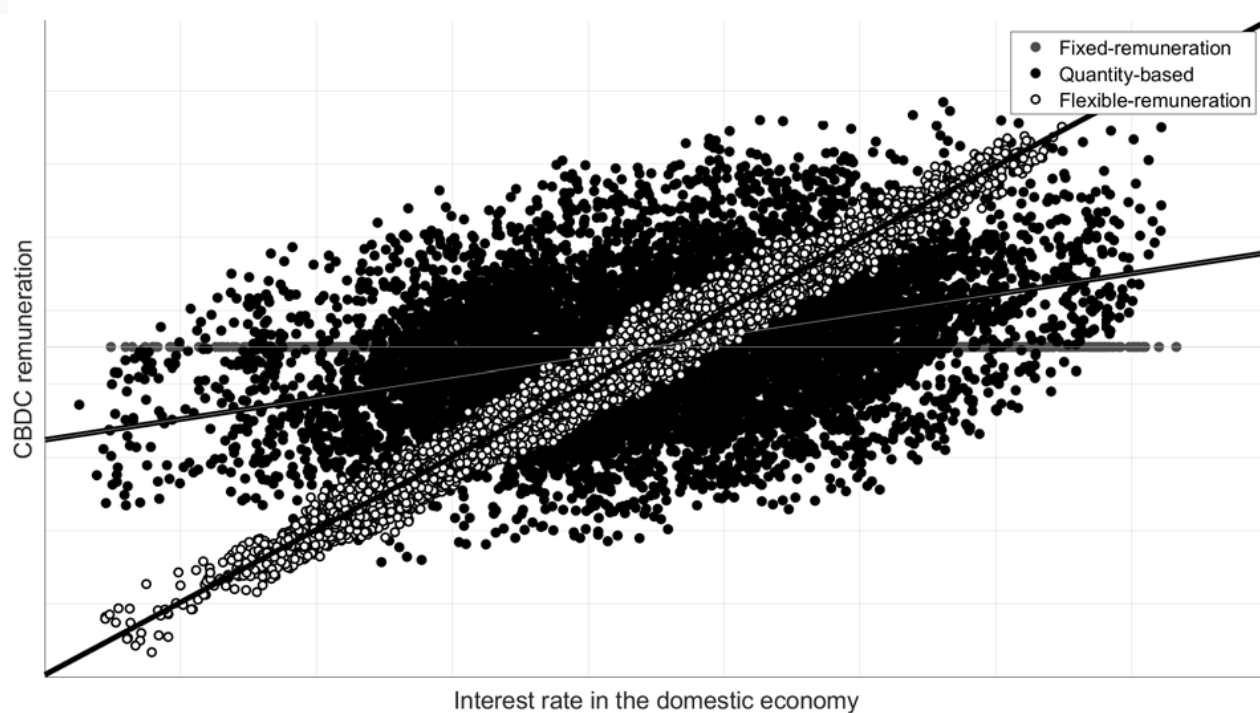


Higher cash storage costs





# The CBDC rate channel



**Notes:** the chart plots the simulated series for the domestic bond interest rate and the CBDC interest rate for three possible CBDC designs (fixed interest rate, quantity-based and flexible (Taylor-rule-type) interest rate).

# Optimal monetary policy in presence of a CBDC

- Maximize household utility using central bank policy rate as instrument

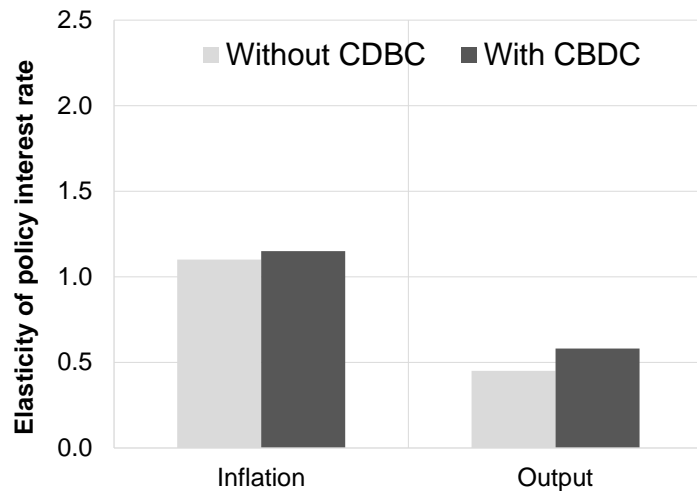
$$\max_{\gamma, \theta_\pi, \theta_y} E_t \sum_{j=0}^{\infty} \beta^j U_{t+j} \text{ s.t.}$$

$$r_t = [r_{t-1}]^\gamma [(\pi_t)^{\theta_\pi} (y_t)^{\theta_y}]^{1-\gamma}$$

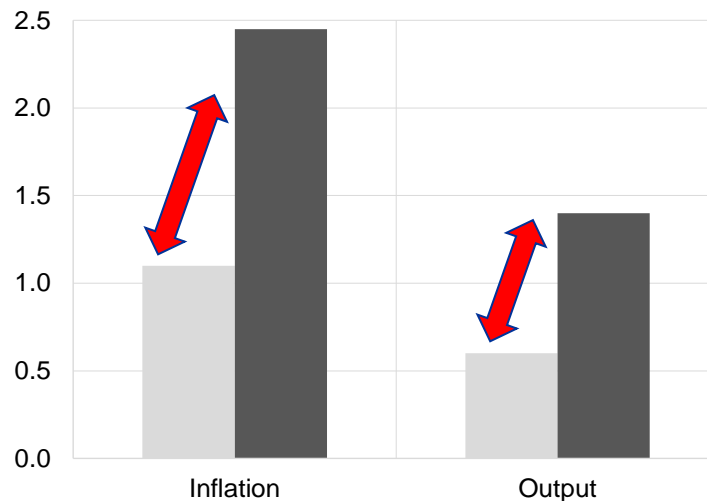
- Choose optimal  $\gamma$ ,  $\theta_y$  and  $\theta_\pi$  to maximize welfare
- Non-linear optimization problem with second-order solution

# CBDC reduces foreign monetary policy autonomy

## Domestic economy (CBDC issuer)



## Foreign economy (not issuing CBDC)



**Notes:** model-based optimal response to output and inflation of the central bank Taylor rule in the presence and absence of CBDC under a fixed-remuneration design. The key parameters optimized are interest rate persistence, the elasticity with respect to inflation and the elasticity with respect to output. Welfare is computed as the stochastic mean of the sum of current and future utility flows of households at the second order.

# How we fit in the literature

- **CBDC in domestic non-DSGE models**  
(Agur et al. 2019; Brunnermeier and Niepelt, 2019; Andolfatto, 2018; Fernandez-Villaverde et al. 2020)
- **CBDC in domestic DSGE models**  
(Barrdear and Kumhof 2016)
- **Open-economy DSGE models on CBDC or cryptocurrencies**  
(George et al. 2018, Benigno et al. 2019)



**Two-country DSGE model on CBDC**