Paper discussion State-Dependent Macroeconomic Policy Effects: A Varying-Coefficient VAR

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Methodological discussions and extensions

Conclusion

Recap on key methods



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Key methods

• Varying Coefficient VAR

$$y_t = \beta_t \varepsilon_t^{\textit{PolicyShock}} + x_t^T \gamma_t + u_t$$

where x_t is the control vector.

- Policy coefficient modelling: β_t as a tree function of economic inputs.
- $\bullet\,$ Standard Random Forest algorithm (Buergin and Ritschard 2017) 1
- Obtained state-dependent Impulse Response Function for policy analysis

¹Buergin, R. A. & Ritschard, G. (2017). Coefficient-wise tree-based varying coefficient regression with vcrpart. Journal of Statistical Software, 80(6), 1–33.

Summary of Contributions

Methodological discussions and extensions • 0 0 Conclusion

Estimating time-varying relationships

Consider adaptive methods of model determination or ensembling, such as Yang and Lucas $(2022)^2$



²Yang, P. R. & Lucas, R.(2022). DMS, AE, DAA: methods and applications of adaptive time series model selection, ensemble, and financial evaluation. arXiv:2110.11156v3.

Methodological discussions and extensions ○●○

Interpreting time-varying relationships

Example: adaptive methods on yield curve ³



³Yang, P. R. (2020). Using the yield curve to forecast economic growth. Journal of Forecasting, 39: 1057–1080. https://doi.org/10.1002/for.2676

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Robust estimation and user-algorithm interactions

• In this paper:

$$(\hat{C}_m, \hat{\beta}_m)_{m \in [M]} = \operatorname*{arg\,min}_{(C_m, \beta_m)_{m \in [M]}} \sum_{t \in [T]} (y_t - \hat{y}_t((C_m, \beta_m)_{m \in [M]}))^2$$

• More generic loss function suitable for time series modelling and forecasting (Yang and Lucas 2022):

$$\ell(\lambda, p) := \sum_{\tau=t-\nu+1}^t \lambda^{t-\tau} |\hat{y}_{\tau|\tau-k} - y_{\tau}|^p$$

• Various change-point literature

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Conclusion

- Innovative use of tree method for macroeconomic policy analysis.
- **2** Further time-series statistical engagements:
 - Robust estimation and change-points
 - Adaptive methods and associated interpretations